## **Claims**

We claim:

1. A method for dynamically allocating bandwidth to traffic having a variable data rate in a network, comprising:

measuring a data rate of the traffic received from the network during fixed length time intervals;

grouping a predetermine number of consecutive data rates into overlapping vectors;

applying a discrete wavelet transform to each overlapping vector to determine frequency bands for each vector;

analyzing the frequency bands of each vector to determine an associated energy of the data rate; and

allocating the bandwidth to the traffic according to the associated energy when the traffic is transmitted.

- 2. The method of claim 1 wherein the bandwidth is allocated in a weighted fair queuing process.
- 3. The method of claim 1 wherein the bandwidth is allocated in a quality-of-service management block of the network.
- 4. The method of claim 1 wherein a clock sets time intervals  $\sum_{n} \delta(t nT)$  at a clock rate of  $\frac{1}{T}$  for a data counter.

- 5. The method of claim 1 wherein the predetermine number of consecutive data rates are grouped into the overlapping vectors in a shift register of length eight.
- 6. The method of claim 1 wherein the discrete wavelet transform is performed by a Haar wavelet filter bank.
- 7. The method of claim 1 further comprising:

receiving buffer statistics and a minimum non-zero data rate as feedback while allocating the bandwidth.

- 8. The method of claim 1 wherein each overlapping vector is in terms of  $\underline{\mathbf{X}}_{\mathbf{k}} = [X(n-M+1) \ X(n-M+2) \ .... \ X(n)]$ , where M is eight, and n is an instance in time.
- 9. The method of claim 1 wherein an average data rate for M consecutive time intervals is

$$\underline{\mathbf{X}}_{\mathbf{k}+1} = 1/2.[X(n-M+1) + X(n-M+2) \ X(n-M+3) + X(n-M+4)$$
  
....  $X(n-1) + X(n)]$ 

at a time scale of k+1, and a difference of data rates between two consecutive time intervals is

$$\underline{\mathbf{Y}}_{\mathbf{k}+1} = \frac{1}{2} [X(n-M+1) - X(n-M+2) \ X(n-M+3) - X(n-M+4)$$
....  $X(n-1) - X(n)$ 

where n is a time instance, k is a time scale, and M is an integer.

10. The method of claim 1 wherein the associated energy is expressed as  $E_n[E_{1,n},[E_{2,n},...,[E_{k,n}]]$ .

- 11. The method of claim 1 wherein a sum of the energies in each frequency band is bounded by a total energy of the traffic.
- 12. The method of claim 1 wherein the traffic is at a constant bit rate when the energy in high frequency bands is zero, the traffic rate is increasing when all the energy is within a low frequency band, and the traffic rate is decreasing when the energy in the lowest frequency band is decreasing and the energy in the high frequency band is stable.